

Correction to nls exercise

1. Write a function that calculates  $W$  as a function of  $T$  given  $T_{\min}$ ,  $T_{\text{opt}}$ ,  $T_{\max}$ ,  $W_{\min}$ ,  $W_{\max}$

```
magarey<-function (T, Tmin, Topt, Tmax, Wmin, Wmax)
{
  fT <- ((Tmax - T)/(Tmax - Topt)) *
        (((T - Tmin)/(Topt - Tmin))^(Topt - Tmin)/(Tmax - Topt))

  W <- Wmin/fT
  W[W > Wmax | T < Tmin | T > Tmax] <- Wmax
  return(W)
}
```

2. Use the parameters of *Bremia lactucae* to calculate  $W$  as a function of temperature. Draw the graph.

```
# Use Bremia lactucae parameters
```

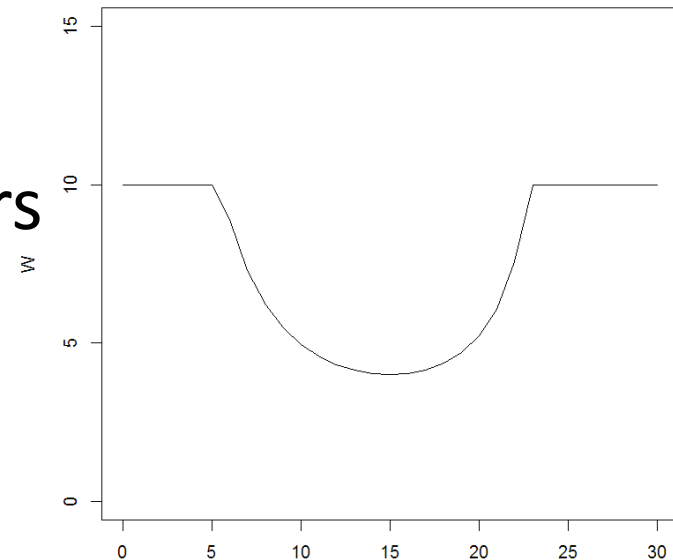
```
T<-0:30
```

```
W<-magarey(T,1,15,25,4,10)
```

```
cbind(T,W)
```

```
plot(T,W,type="l", xlab="T", ylab="W",ylim=c(0,15))
```

```
lines(TData,WData,type="p")
```



3. Add the points for *Pseudoperonospora cubensis* to the graph

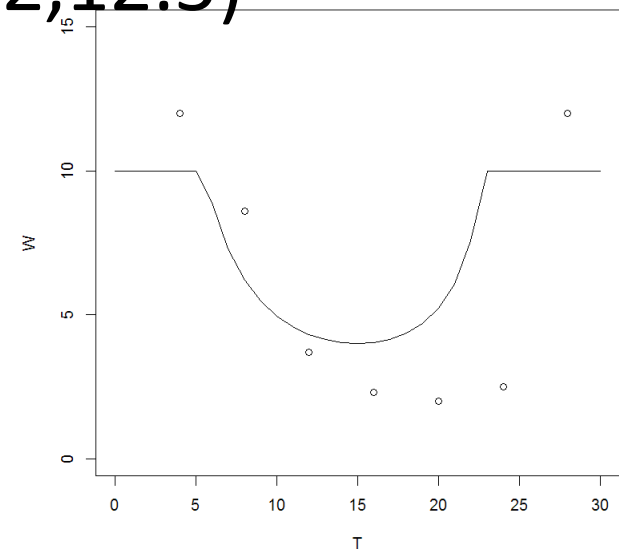
```
# data for Pseudoperonospora cubensis
```

```
TData<-c(4,8,12,16,20,24,28,32)
```

```
WData<-c(12,8.6,3.7,2.3,2,2.5,12,12.5)
```

```
cbind(TData,WData)
```

```
lines(TData,WData,type="p")
```



4. Use the data for *Pseudoperonospora cubensis* to calibrate the model for that disease.

```
# nls for Pseudoperonospora cubensis
```

```
# start from Bremia lactucae parameters
```

```
TminStart<-1
```

```
ToptStart<-15
```

```
TmaxStart<-25
```

```
WminStart<-4
```

```
WmaxStart<-10
```

```
pseudo<-nls(WData~magarey(T,Tmin,Topt,Tmax,Wmin,Wmax),  
            data=list(T=TData),  
            start=list(Tmin=TminStart,Topt=ToptStart,  
                      Tmax=TmaxStart,Wmin=WminStart,Wmax=WmaxStart))
```

5. Examine the output of nls. Are all the parameters well estimated?

```
summary(pseudo)
```

```
> summary(pseudo)
```

```
Formula: WData ~ magarey(T, Tmin, Topt, Tmax, Wmin, Wmax)
```

```
Parameters:
```

	Estimate	Std. Error	t value	Pr(> t )	
Tmin	0.5237	4.8833	0.107	0.921366	
Topt	20.0918	0.4772	42.106	2.95e-05 ***	Tmin poorly estimated
Tmax	27.9218	1.9403	14.391	0.000727 ***	
Wmin	1.9762	0.1969	10.034	0.002107 **	
Wmax	12.1667	0.1368	88.930	3.13e-06 ***	

```
---
```

```
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 0.237 on 3 degrees of freedom
```

```
Number of iterations to convergence: 7
```

```
Achieved convergence tolerance: 8.871e-06
```

6. Use the calibrated model to predict W for T<-  
0:40

```
newW<-predict(pseudo,newdata=list(T=0:40))
```

```
> predict(pseudo,newdata=list(T=0:40))
```

```
[1] 12.166667 12.166667 12.166667 12.166667 12.166667  
12.166667 12.166667 11.725234 8.600955
```

```
[10] 6.616999 5.286920 4.357655 3.687709 3.193371  
2.822878 2.543163 2.332689 2.177443
```

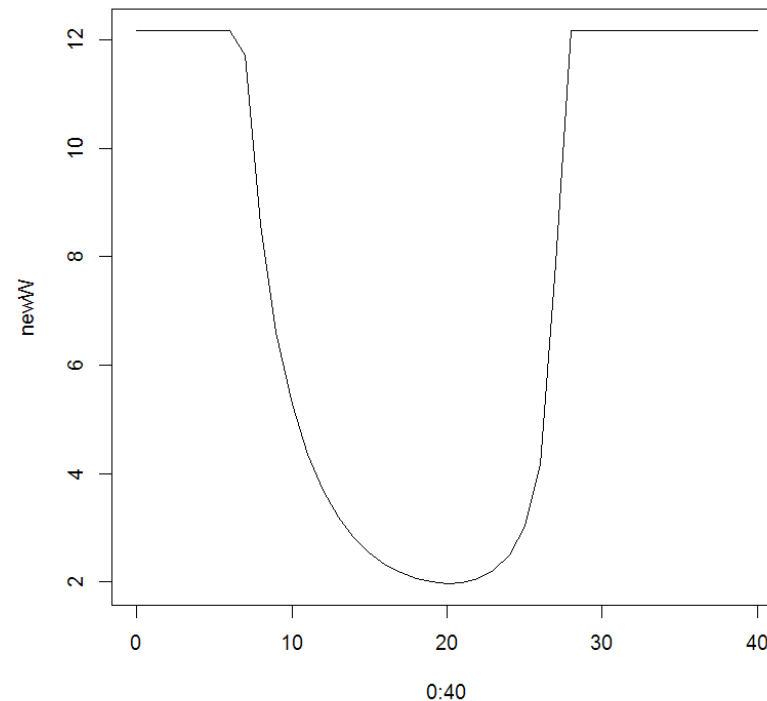
```
[19] 2.068704 2.001906 1.976350 1.995838 2.070805  
2.223686 2.503037 3.027119 4.164034
```

```
[28] 7.885149 12.166667 12.166667 12.166667 12.166667  
12.166667 12.166667 12.166667 12.166667
```

```
[37] 12.166667 12.166667 12.166667 12.166667 12.166667
```

7. Graph the model results for T from 0 to 40°C  
(type="l")

```
plot(0:40,newW,type="l")
```

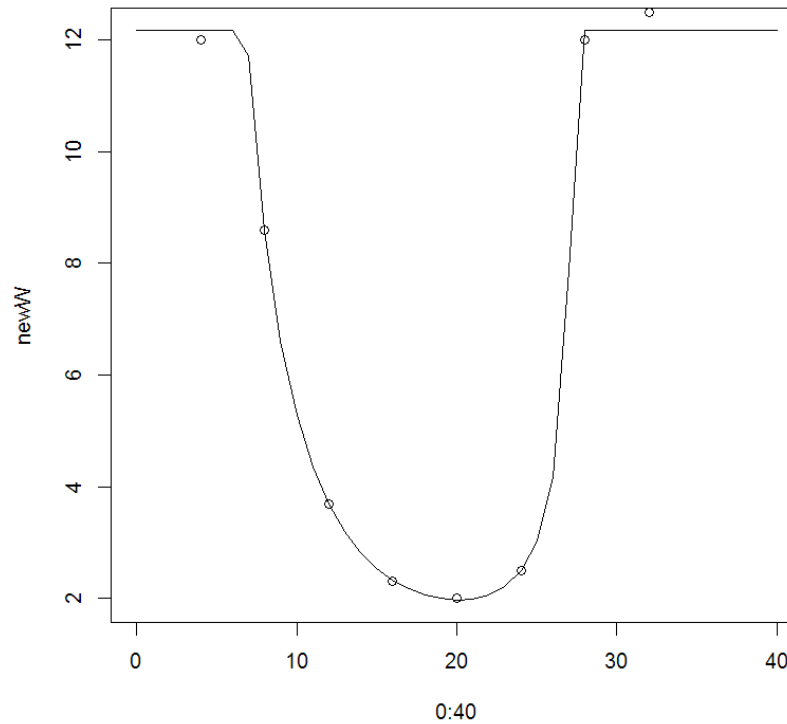




8. Add the data points. How well does the model fit the data?

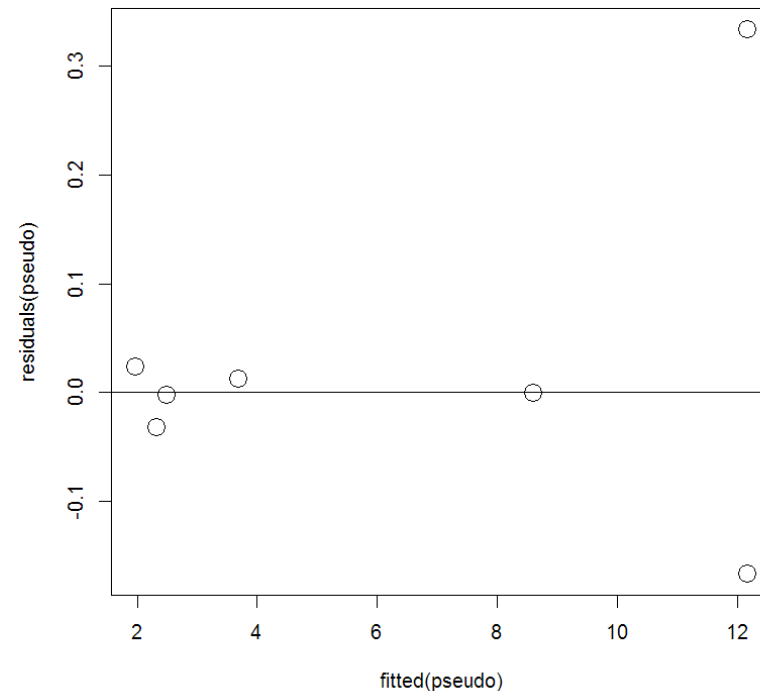
```
lines(TData,WData,type="p")
```

Very good fit



9. Plot residuals (observed- simulated) versus simulated values. Add horizontal line at  $y=0$

```
plot(fitted(pseudo),residuals(pseudo),cex=2)  
abline(0,0)
```



10. Is this a “correct model”

11. Are the residuals “homoscedastic”?

- Model looks o.k.
  - No obvious structure in residuals
- Is variance constant?
  - Maybe not, hard to tell, not enough data

END